

MOSHKEVICH, S.M.; RUBINOVICH, M.S.

Correlation between tonsillitis and tuberculosis in children and adolescents. Probl.tub. no.3:34-40 My-Je '55. (MIRA 8:8)

1. Iz kafedry oto-laringologii (zav.-prof. L.L.Frumin) i kafedry tuberkuleza (zav.-prof. B.L.Yakhnis) Ukrainskogo instituta usovershenstvovaniya vrachey (dir.-dotesent I.I.Ovsyienko).

(TONSILITIS,

relation to tuberc. in child.)

(TUBERCULOSIS,

relation to tonsillitis in child.)

ASTAF'YEV, N.V.; RUBINOVICH, R.S.; YAKOVLEVA, S.A.

Spectral determination of nickel, chromium, and copper in clays.
Izv. AN SSSR. Ser. fiz. 19 no. 2:192-193 Mr-Ap '55. (MLRA 9:1)

1. Nauchno-issledovatel'skiy institut geologii Arktiki.
(Tartu--Spectrum analysis--Congresses)

24(7)

SOV/48-23-9-53/57

AUTHORS: Rubinovich, R. S., Pershin, A. S.

TITLE: On Pneumatic Methods of Introducing Pulverized Samples Into
an Arc-discharge

PERIODICAL: Izvestiya Akademii nauk SSSR. Seriya fizicheskaya, 1959,
Vol 23, Nr 9, pp 1163 - 1165 (USSR)

ABSTRACT: In the introduction, the drawbacks of introducing powder
samples into the discharge space by means of an air flow are
enumerated as follows: 1) Incomplete evaporation of the
powder particles. 2) The dependence of the entering-velocity
of the powder particles on their chemical-physical properties
and other factors. The authors endeavored to attain complete
evaporation of the particles by pneumatically feeding the
powder. Figure 1 shows a photograph of this arrangement. Air
pressure of 10 to 100 torr conveys the pulverized sample into
the discharge chamber, with a flask filled with powder in a
quantity of 0.05 - 0.2 g mounted on a vibrator, from which
the powder is blown out. By means of this arrangement a uni-
form jet of powder with a diameter of 2 mm is obtained, which

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On Pneumatic Methods of Introducing Pulverized Samples SOV/48-23-9-53/57
Into an Arc-discharge

impinges exactly onto the center of the light arc. If pressure is too high, the light arc becomes unstable. Further, the proper working conditions must be chosen for each individual substance (power of the light arc, pressure, etc). The line intensities were found to depend on air pressure. At a pressure of 5 to 10 torr, and only if a quantity of powder of 1 to 2 g enters the discharge space within 20 to 30 seconds, a spectrum with normal intensities is obtained. Figure 3 shows the sharp increase of line intensities with pressure. As found by A. K. Rusanov (Refs 1,2,5) an accuracy which is by far higher than in the case of the evaporation of a test substance from an electrode channel, is obtained if 30 mg per minute are blown into the discharge space. If more than 30 mg per minute are supplied, evaporation of the powder particles in the light arc is insufficient. Finally, some further disadvantages of the method described are mentioned, thus the dependence of the feeding rate of powder on the degree of pulverization, and on hygroscopic and other physico-chemical properties. The difference in the size of the powder particles is described

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as a great disadvantage, and for uniform powder the accuracy of the described method is given as amounting to 3 to 5%. The authors thank M. M. Kler, in whose laboratory in the chemistry department of Leningrad University this work was carried out. There are 3 figures and 5 Soviet references.

ASSOCIATION: Nauchno-issledovatel'skiy institut geologii Arktiki (Scientific Research Institute for the Geology of the Arctic Region)

Card 3/3

RUBINOVICH, R.S.; ZOLOTAREVA, N.Ya.

Quantitative spectrum determination of nickel, cobalt, and
copper in ore and minerals. Inform. sbor. NIIGA no.30;
52-62 '62. (MIRA 17:1)

RUBINOVICH, R.S.; MIRONOV, R.Ya.; GUSHLISAYA, O.N.

Spectrochemical determination of platinum, palladium, and
gold in rocks. Zhur. anal. khim. 18 no. 2: 216-221. F '63.
(MIRA 17-10)

1. Scientific-Research Institute of Geology of the Arctic.

RUBINOVICH, R.S.; LOPATINA, L.M.

Using the method of X-ray spectral fluorescence for determining
iron in rocks and ores. Uch. zap. NIIGA. Reg. geol. no.2:125-139
'64. (MIRA 19:1)

RUBINOVICH, R.S.

Quantitative spectrum analysis of niobium in carbonatite samples
during the insertion of powder in to the arc discharge by the
pneumatic method. Inform.biul.NIIGA no.16:61-68 '59.

(MIRA 15:3)

(Niobium--Spectra)

S/058/60/000/012/011/011
A001/A001

Translation from: Referativnyy zhurnal, Fizika, 1960, No. 12, p. 339, # 34300

AUTHOR: Rubinovich, R.S.

TITLE: The Quantitative Spectral Determination of Niobium in Carbonatites
by Introducing Powders Into Arc Discharge by Pneumatic Method

PERIODICAL: Inform. byul. In-ta geol. Arktiki, 1959 No. 16, pp. 61-68

TEXT: The author describes a method of pneumatic introducing powder samples into an a.c. arc for determining Nb in carbonatite specimens at concentrations exceeding 0.1 %. The spectra were photographed with an MCН -28 (ISP-28) spectrograph. Ta and Mo served as comparison elements. A comparison of experimental results of investigating 23 carbonatite specimens by the method mentioned with those obtained by chemical analysis showed their good agreement. The mean arithmetical error amounts to 7 %.

Translator's note: This is the full translation of the original Russian abstract.

Card 1/1

RUBINOVICH, V.I.

Clinics of calcium cyanide intoxication. Vrach. delo no.6:115-118
Je '61. (MIRA 15:1)

1. Klinika nervnykh bolezney (zaveduyushchiy - prof. P.A. Minovich)
(Stalinskogo meditsinskogo instituta.
(CALCIUM CYANAMIDE TOXICOLOGY)

16.91.00

77W6
SOV/103-21-1-7/22

AUTHOR:

Rubinovich, Ya. I. (Moscow)

TITLE:

Synthesis of a Control System With Monotonously Diminishing Gain Applying Root-Locus Method

PERIODICAL:

Avtomatika i telemekhanika, 1960, Vol. 21, Nr. 1,
pp. 48-55 (USSR)

ABSTRACT:

In the study a control system containing an element with monotonously diminishing gain is explained. The system is designed for a periodically repeating operation. Definition of problem. Regulation process takes place during time T. At each T period this process repeats with the same or with another driven element. In general a system in an open state consists of two blocks: the first block has a transfer function in the following form:

$$G(s) = \frac{\prod_{i=1}^m (s + z_i)}{\prod_{i=1}^n (s + p_i)}, \quad (1)$$

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where $n \geq m$, and p_1 are placed on the left side of the s-plane. The second block represents a circuit with a monotonously diminishing gain and is described by the expression:

$$K_1(t) = \frac{K_0}{(t+a)^r}. \quad (2)$$

The magnitude of r ($1 \leq r \leq 4$) depends on the method of remote control. Block II is substituted by a block II*, the gain of which changes as follows:

$$K_1^*(t) = Ae^{-\frac{t}{\tau}}. \quad (3)$$

Coefficients A and τ are chosen in such a manner that the equations $K_1(0) = K_1^*(0)$ and $K_1(T) = K_1^*(T)$ are satisfied. Thus

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$$A = \frac{K_0}{\alpha^2}, \quad \tau = \frac{T}{\ln(1 + \frac{T}{\alpha})}$$

and

$$K_1^*(t) = \frac{K_0}{\alpha^r} \exp \left[-\frac{t}{T} r \ln \left(1 + \frac{T}{\alpha} \right) \right]. \quad (4)$$

From theory of exponential function it results that:

$$K_1^*(t) > K_1(T) \text{ at } 0 < t < T.$$

The system consisting of blocks I and III* is a quasi-majoring system with reference to the system containing block II. Since function $G(s)$ does not have its poles on the right-hand side of the s-half plane, the closed loop system (Fig. 2) containing the block III* will be quasi-majoring with respect to the closed loop system

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containing block II. In order to analyze the transient

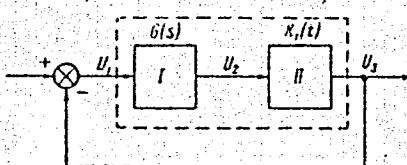


Fig. 2.

state characteristics of the initial system, the quasi-majoring system has been used. The method of synthesis is as follows: The transfer function of block I is given in the form:

$$G(s) = \frac{(s + z_1)}{s^2(s + p_1)(s + p_2)^2(s + p_3)(s^2 + 2\zeta\omega_n s + \omega_n^2)}, \quad (6)$$

where

$$z_1 = 4, \quad p_1 = 6.7, \quad p_2 = 8, \quad p_3 = 20, \quad \zeta = 0.101, \quad \omega_n = 12.65 \frac{1}{\text{sec}}.$$

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and the gain of block II changes as follows:

$$K_1(t) = \frac{K_0}{t + \tau}, \quad (7)$$

where $K_0 = 2 \cdot 10^3$ and $\tau = 0.2$ sec. Time of operation $T = 10$ sec. The parameters of the series correcting circuit must be so chosen that after connecting the feedback circuit the relative damping coefficient of the system will not be less than 0.3 for an arbitrary pair of complex poles. Analysis of the Movement of Roots of the Closed Loop System. Figure 3 shows the zero and pole distribution on the plane of the complex parameters $s = \sigma + j\omega$. The arrows indicate the directions of the move of the roots when the gain of the system K_{syst} increases. The trajectory of the move and the stability conditions of the quasi-majoring system are given on this figure. The Choice of Correcting Circuit. The choice of correcting circuit is made using the well known method of the root-locus analysis. After introducing an additional zero at the

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Synthesis of a Control System With Monotonously Diminishing Gain Applying Root-Locus Method

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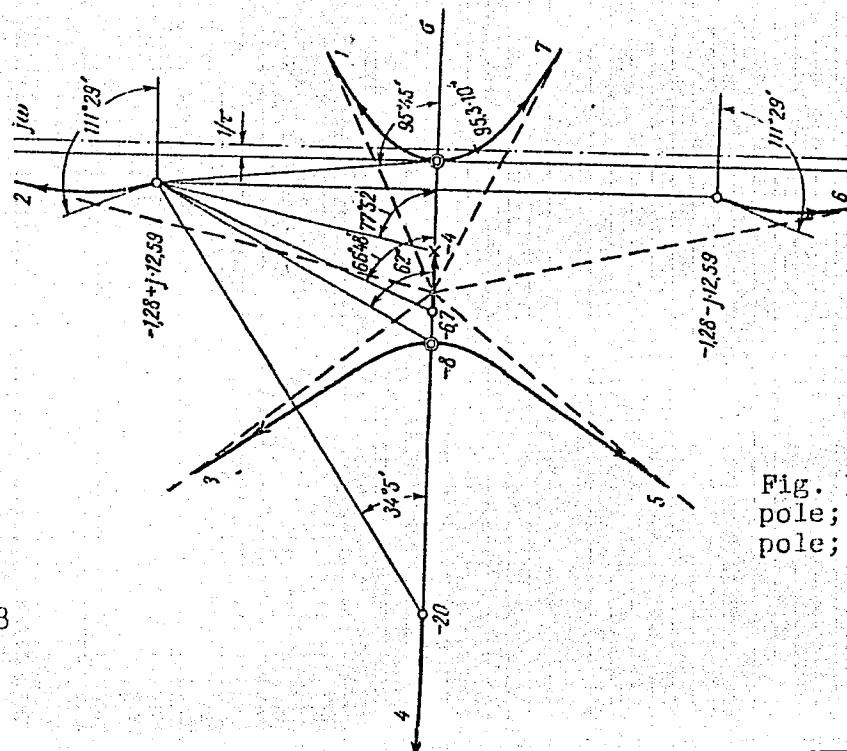


Fig. 3. (○) Single pole; (◎) double pole; (x) single zero.

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point $s = -z_1^* = -2$ and a correcting circuit with the transfer function:

$$G_1(s) = \frac{(s + z_1^*)}{(s + p_1)} \frac{p_1}{z_1^*}.$$

good stability conditions are obtained. However, this does not satisfy the condition imposed on the damping coefficient. Introducing the correcting circuit with the transfer function:

$$G_2(s) = \frac{(s + 2)(s^2 + 2\xi\omega_n s + \omega_n^2) 15p_2 p_3^*}{(s + 30)(s + p_2^*)(s + p_3^*) \omega_n^2}.$$

which has the zeros placed at two pole (-1.28 $\pm j \cdot 2.59$, Fig. 3) of the quasi-majoring system, the proper value of the damping coefficient is obtained. The block diagram of the correcting circuit for this condition is shown on Fig. 7. Synthesis of this circuit may be made for a given value of $G_2(s)$ using the method of B. J. Dasher (see Ref 4 of this abstract). There are 7 figures; and 7

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Synthesis of a Control System With Monotonously
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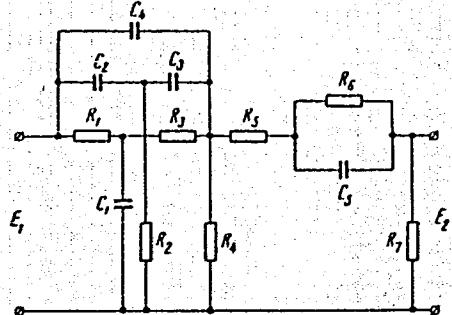


Fig. 7. $R_1 = 11,600 \text{ ohm}$; $R_2 = 1,100 \text{ ohm}$;
 $R_3 = 23,000 \text{ ohm}$; $R_4 = 11,300 \text{ ohm}$;
 $R_5 = 22,500 \text{ ohm}$; $R_6 = 832,000 \text{ ohm}$;
 $R_7 = 17,700 \text{ ohm}$; $C_1 = 2.5 \mu\text{f}$;
 $C_2 = 22 \mu\text{f}$; $C_3 = 1.1 \mu\text{f}$;
 $C_4 = 0.0725 \mu\text{f}$; $C_5 = 0.6 \mu\text{f}$.

references, 3 Soviet, 4 U.S. The U.S. references are:
John G. Truxal, Automatic Feedback Control System Synthesis,
McGraw-Hill, 1955; Yeh, C. M., Synthesis of Feedback Control
Systems by Gain-Contour and Root-Contour Methods, Trans. of
AIEE, p. II, 1956; Evans, W. R., Control System Dynamics,
McGraw-Hill, 1954; Dasher, B. J., Synthesis of RC Transfer
Functions as Unbalanced Two Terminalpair Networks, Trans. of
IRE, Professional Group on Circuit Theory, 1952.

Card 8/8
SUBMITTED:

May 11, 1959

RUEINCVICH, V. I.

Tables of trigonometrical values and their logarithms for angles in the divisions of the compass. Moskva, Gos. izd-vo oboron. pro-myshl., 1954. 99 p. (55-44413)

QA55.T18

RUBINOVICH, YA. V.

USSR/ Engineering
Boilers
Electric Power Plants

Dec 48

"Automatic Oxygen Recorder," L. A. Gudkevich, Ya. V. Rubinovich, Engineers,
 $\frac{1}{2}$ pp

"Elek Stants" No 12

Describes two experimental models for measuring oxygen content in high-pressure thermal-power plant boilers. Used standard parts wherever possible. Performance considered equivalent to type imported from a Cambridge firm. Device includes the following instruments: transmitting element, condenser, voltage source (selenium rectifier), and self-recording galvanometer. Operates on principle of thermal changes in platinum wire (0.02 mm diameter) inserted in a measuring chamber whose conductivity depends on oxygen content.

PA 54/49T43

SLOBODYANIK, I. [Slobodianyk, I.], kand.tekhn.nauk; RUBINOVICH, Ye.
[Rubinovych, YE.], inzh.; LISINA, P. [Lysina, P.], inzh.;
DOROFEYEVA, K. [Dorofieieva, K.], inzh.

Locally mined lime for mortars. Sil'.bud. 11 no.11:14-15 N '61.
(MIRA 15:3)

(Ukraine--Lime)

"APPROVED FOR RELEASE: 08/22/2000

CIA-RDP86-00513R001445820004-3

6A

An automatic express motor. L. A. Gudkovich and Ya.
V. Kublovich. Zh. Sist. 19, No. 12, 44-6(1948).
N. Tchon

APPROVED FOR RELEASE: 08/22/2000

CIA-RDP86-00513R001445820004-3"

SLOBODYANIK, G. [Slobodianyk, H.], doktor tekhn.nauk, prof.; RUBINOWICH, Ye. [Rudynovych, E.], inzh.; LISINA, N. [Lysyna, N.], inzh.; DOROFEEVA, K. [Dorofieieva, K.], inzh.

Replacing the lime in cement building mortars with local additives.
Bud. mat. i konstr. 4 no.1:44-45 Ja-F '62. (MIRA 15:7)
(Mortar)

L 9349-66 EWT(d)/EWT(1) IJP(c) GG

FO/0045/65/027/003/0435/0455

ACC NR: AP5011481

44, 55

AUTHOR: Rubinowicz, A. (Warsaw)

47

B

TITLE: Application of various electromagnetic formulations of Huygens' principle
to the solution of jump magnitude problems

SOURCE: Acta physica polonica, v. 27, no. 3, 1965, 435-455

21, 41, 55

16, 44, 55

TOPIC TAGS: Maxwell equation, electromagnetism, Lorentz transformation,
boundary value problem

ABSTRACT: The applicability of transformations derived from Lorentz's electromagnetic formulation of Huygens principle to the solution of jump magnitude problems at prescribed values of tangential components is investigated. It is shown that transformations I and II, based on the Lorentz-Larmor principle, as well as Kottler's transformation can be used to solve jump magnitude problems upon a surface F even at arbitrarily prescribed discontinuous values of tangential components in certain curves upon surface F. The boundary values can be calculated directly from the tangential components with the aid of Maxwell's equations not requiring a prior solution of the jump magnitude problems. The given and calculated boundary values give the same solution of the jump magnitude problem as that obtained by application of Lorentz's electromagnetic formulation of Huygens' principle. This paper contains also a review of Kottler's electromagnetic formulation of Huygens' principle. Orig. art. has: 34 formulas.

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Z

L 9349-66

ACC NR: AP5011481

ASSOCIATION: none

SUBMITTED: 01Jul64

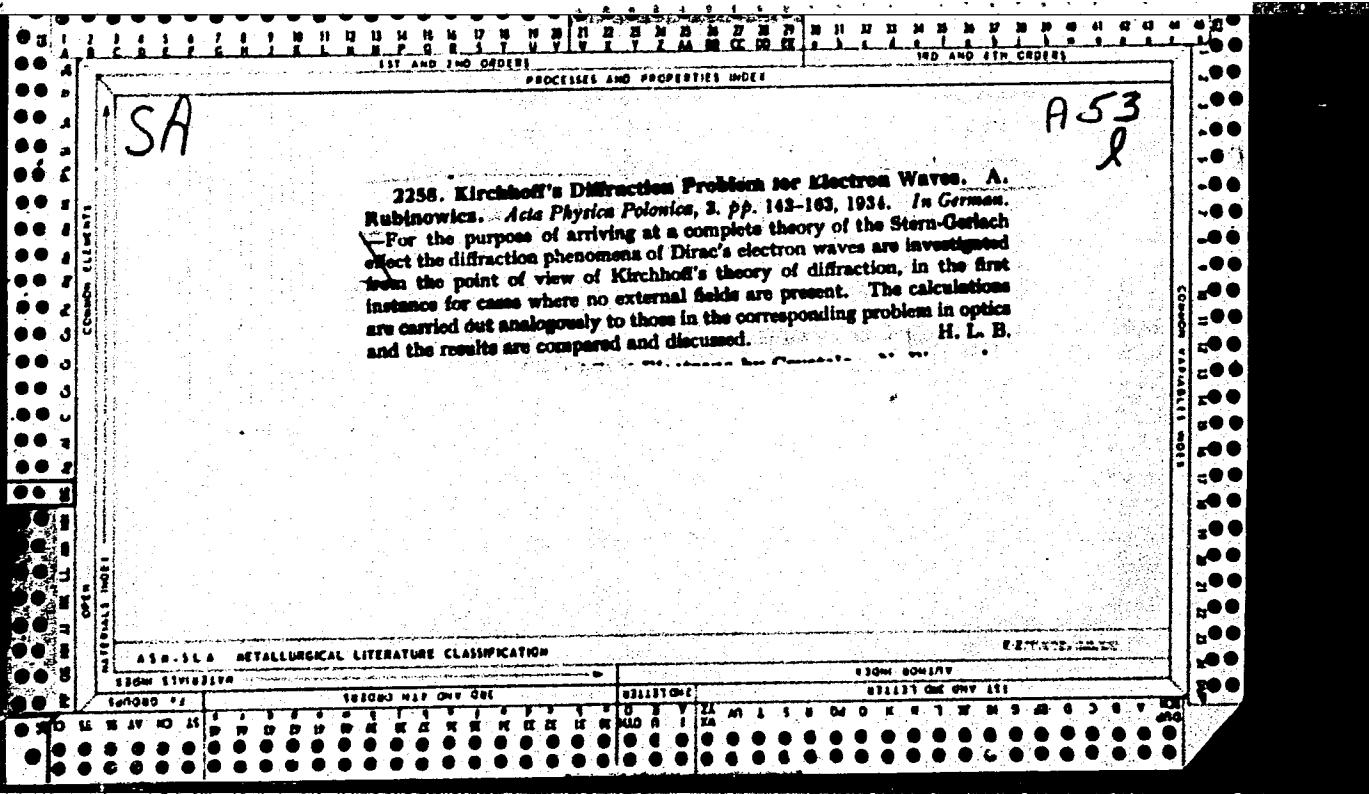
ENCL: 00

SUB CODE: 12, 09

NO REF SOV: 000

OTHER: 017

Card 2/2 rbs



Does iron occur in the solar corona? A. Rubinowicz, *Nature* 141, 81 (1938). The line $\lambda 4815.21$, which occurs in Sekiguti's photographs of the solar corona, is possibly identical with the "forbidden" Fe II line $\lambda 4814.78$, which is due to the transition $3d^4 \{3F\} \rightarrow [Fe] \rightarrow 3E \{3F\}$. The absence of Fe lines usually stronger than this one makes this identification tentative, not final. F. J. M. Stratton, *Ibid.* Stronger coronal lines vary greatly in intensity from one eclipse to another; weak lines might be regularly present or absent. The line mentioned has been observed only once. Verification of the observation is necessary before the identification is complete. — G. M. E.

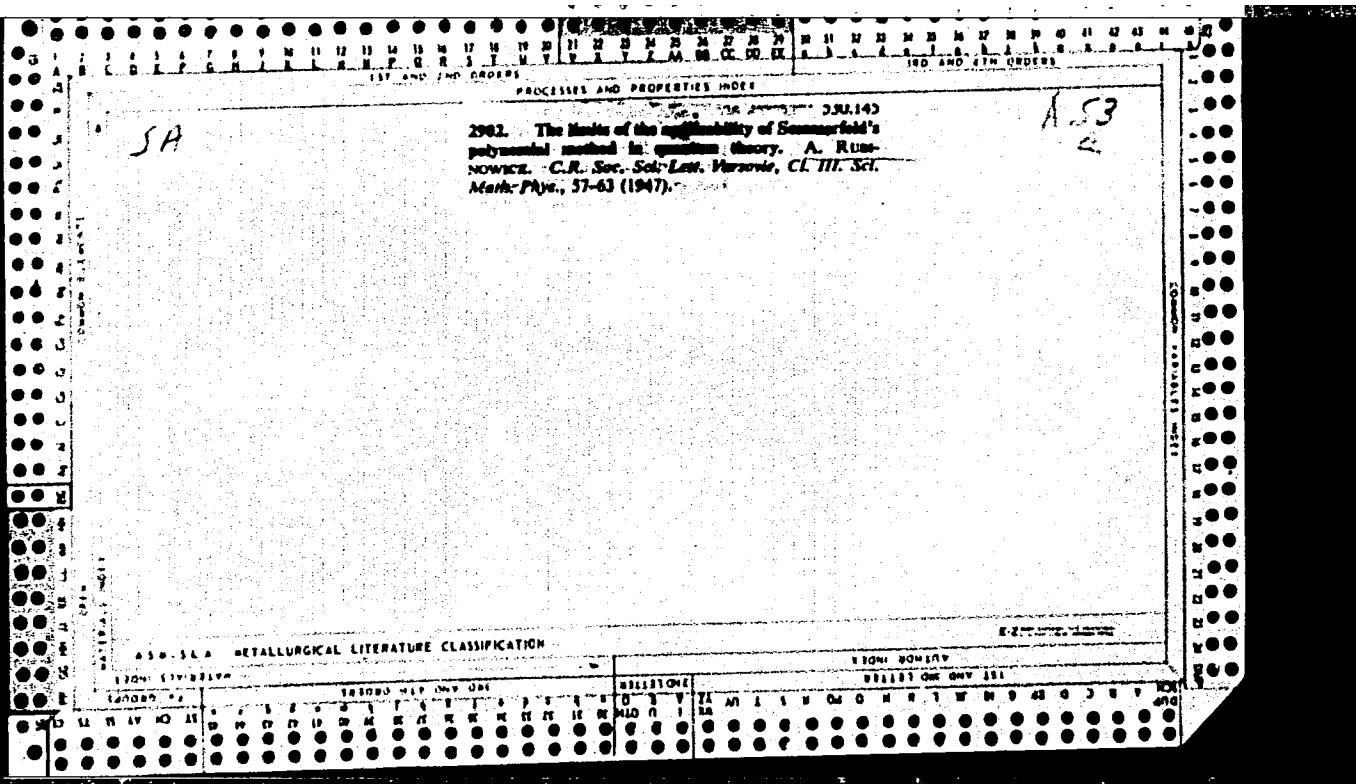
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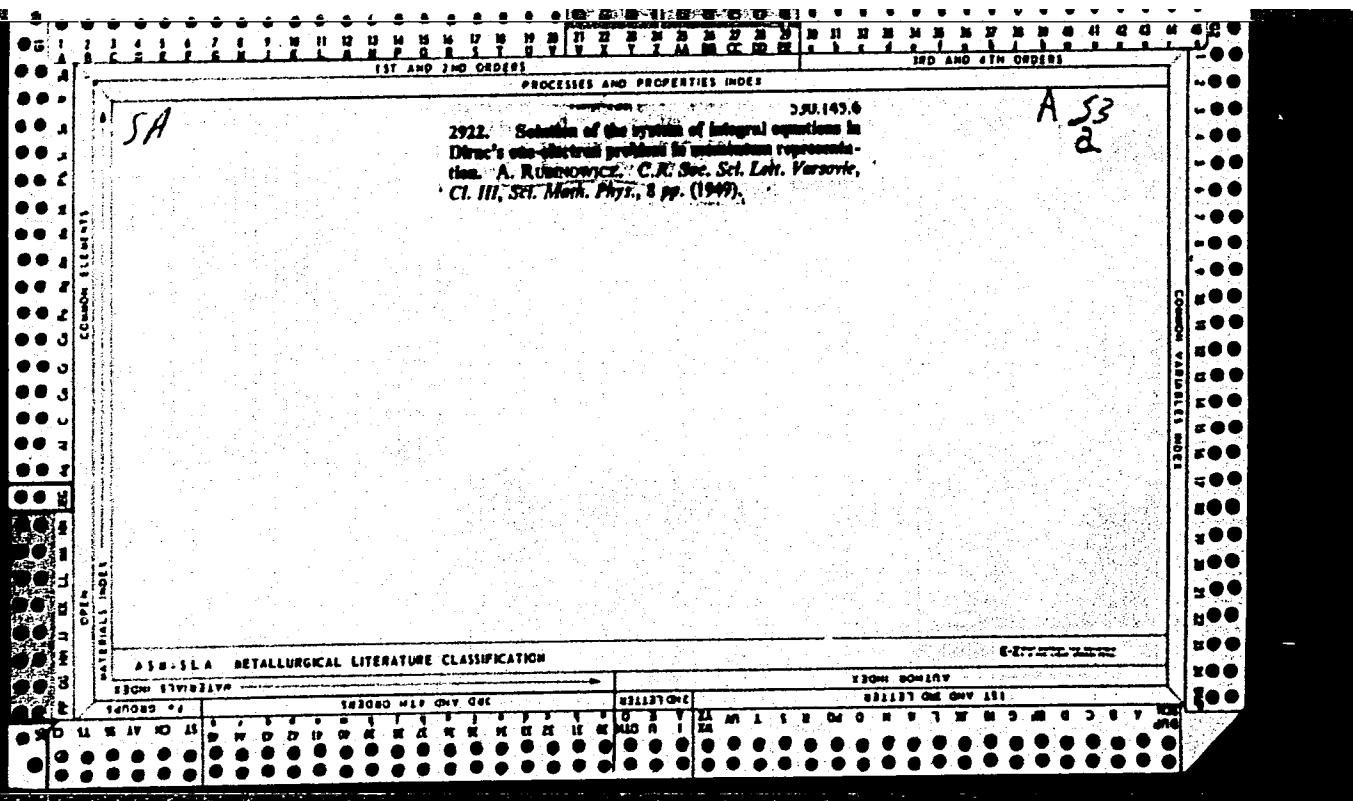
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Rubinowicz, M.

Rubinowicz, A. Propagation of a cut-off train of de Broglie waves. *Acta Phys. Polonica* 10, 79-86 (1950).

The author considers the one-dimensional propagation of the de Broglie waves of frequency ν_0 which at time $t=0$ are confined to the negative x axis, i.e.,

$$\psi = \exp [-2\pi i\nu_0(t-x/u_0)]$$

if $x < 0$ and $\psi = 0$ if $x > 0$. Here u_0 is the phase velocity corresponding to the frequency ν_0 . The subsequent motion is given by the integral

$$\psi(x, t) = \frac{1}{2\pi i} \int e^{\frac{dw}{w-\nu_0}}, \quad w = 2\pi i\nu(t-x/c)$$

taken about the appropriate contour. He then shows that the wave appears at the point $x (>0)$ at a time $t=x/c$ (c =light velocity), that this is followed by a "precursor"

wave. The main body of the wave appears at
 $t = x/v_0$, where $v_0 \approx C$. *H. P. Hancock*

RUBINOWICZ, A.

"Fields Defined by Elementary Laws." p. 155, (ACTA PHYSICA POLONICA, Vol. 11,
no. 2, 1951, Warszawa, Poland)

SO: Monthly List of East European Accessions, LC, Vol. 3, No. 5, May 1954/Uncl.

RUBINOWICZ, A.

Mathematical Reviews
 Vol. 14 No. 8
 Sept. 1953
 Analysis

✓ Rubinowicz, A. Fields defined by elementary laws. *Acta Phys. Polonica* 11, 155-178 (1952).

If a given scalar field u is isotropic and homogeneous, it is possible to define it by an elementary law in the form of a spherically symmetric field due to a simple source, $u=f(r)$, say. Its partial fields are then given by $f(r)$ and the partial derivatives of $f(r)$ with respect to the Cartesian coordinates x, y, z . The field of a partial derivative of order k may be interpreted as the field of a multiple source of order 2^k , an idea which goes back to Maxwell and Sylvester.

By superimposing such fields, it is possible to obtain multiple fields $Y_{l,m}(\theta, \phi)R_l^k(r)$ of order 2^l (where k is an odd integer and $Y_{l,m}(\theta, \phi)$ is a spherical surface harmonic) which have in general a singularity at the origin. To obtain fields of the form $Y_{l,m}(\theta, \phi)S_l^k(r)$ which are finite at the origin, the field of a simple source is expanded by a bilinear formula involving both functions R and S , just as the generating function for the Legendre polynomials

$$\frac{1}{(r_1^2 - 2r_1r_2\mu + r_2^2)^{1/2}} = \sum_n P_n(\mu) \frac{r_2^n}{r_1^{n+1}}$$

involves the two harmonic functions $r^n P_n(\mu)$ regular at 0 and $r^{n-1}P_n(\mu)$ with a singularity at 0.

The formulae expressing the multiple fields $Y_{l,m}(\theta, \phi)R_l^k(r)$ in terms of the fields of multiple sources can be used to write down all the multiple solutions of an equation $\sum_{m=0}^{\infty} \Delta^m u = 0$ (especially the potential equation $\Delta u = 0$ and the wave equation $\Delta u + k^2 u = 0$), and also in certain cases the solutions regular at the origin. *E. T. Copson* (St. Andrews).

RUBINOWICA, A.

"A simple Deduction for the Expression of the Kirchhoff Law of Waves." p. 225
(Acta Microbiologica Polonica. Vol. 12, no. 3/4, 1953 Warszawa.)

Vol. 3, no. 6

SO: Monthly List of East European Accessions, Library of Congress, June 1954, Unclassified.

RUBINOWICZ, A.

PULON

535.42

7337. The role of diffraction waves in Fraunhofer diffraction phenomena. A. Rubinowicz. *Aeta phys. Polon.*, 11, No. 1, 3-13 (1954) in German.

Fraunhofer diffraction phenomena can be explained by means of Kirchhoff theory in terms of the interference of waves arising from the diffracting boundaries. By a simple transformation, these diffraction waves can be treated by the corresponding formulae of Fresnel diffraction. This method is particularly useful for many special cases, such as a 3-dimensional diffracting boundary.

R. W. FISH

BB
JAN

RUBINOWIEZ, A.

POL.

The Propagation of Transient Electromagnetic Signals in Waveguides. A. Rubinowicz. (*Acta phys. polonica*, 1954, Vol. 13, No. 4, pp. 445-483. In German.) The propagation of a monochromatic TE-wave disturbance is considered, commencing at a given instant. If the wavelength is less than the mode cut-off wavelength, a wave is propagated in two parts, the precursor transient and the main signal. The precursor signal travels with the free-space velocity for the medium filling the guide, the main signal with the group velocity. The field intensities for both parts of the signal are obtained in terms of series involving Bessel functions and asymptotic approximation. Energy relations in the wave are considered, and extensions of the results are mentioned.

M. R.W.

ACCESSION NR: AP4040365

P/0045/64/025/003/0453/0472

AUTHOR: Rubinowicz, A. (Warsaw)

TITLE: Structure of the source system of electric and magnetic multipole radiation

SOURCE: Acta physica polonica, v. 25, no. 3, 1964, 453-472

TOPIC TAGS: multipole radiation, electric multipole radiation, magnetic multipole radiation, radiation source

ABSTRACT: A relationship, from which a clear picture of the source system of electric and magnetic multipole radiation can be obtained, has been derived with the aid of group theory. They combine two types of electromagnetic multipoles: a so-called spherical-function-multipole (K-multipole), defined by means of Debye potential, containing spherical function of a definite order; and a so-called opposition multipole (G-multipole), obtained by the Maxwell method, proceeding with the source system of electric or magnetic dipole radiation through a continuous parallel confrontation of source systems. In this case the corresponding pole has an opposite charge sign. The structure of the source system of these electric or magnetic G-multipoles will be given directly by the generation method. To obtain a picture of the structure of K-multipole source system the fields of this

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ACCESSION NR: AP4040365

multipole have to be expressed through the fields of G-multipole either by direct calculation or applying group theory. The direct calculation method was used in the work of Rubinowicz, A., Acta phys. Polon., 24, 519, (1963). The comparison of both methods shows that the advantage of group theory method is that it directly provides the necessary relationship without calculation work. Its disadvantage is that the Maxwell spherical function cannot be used. As a result not all the details characterizing electromagnetic field ~~and~~ which are obtainable through confrontation of K-multipoles in any direction can be obtained. Orig. art. has 49 formulas.

ASSOCIATION: Polnische Akademie der Wissenschaften (Polish Academy of Science)

SUBMITTED: 08Oct63 DATE ACQ: 15May64 ENCL: 00

SUB CODE: GP NO REF. SOV: 000 OTHER: 009

Card 2/2

RUBINOWICZ, A.

Is the term electric or magnetic multipole radiation
justified? Acta physica Pol 24 no.4:519-554 O '63.

1. Polnische Akademie der Wissenschaften, Warschau.

RUBINOWICZ, A.

Tensor field free of source and connected with an electromagnetic
field and its tensor potential. Acta physica Pol 21 no.5:451-468
My '62.

1. Polnische Akademie der Wissenschaften, Warschau.

RUBINOWICZ, A.

Diffraction waves of various fields in case of any incident wave.
Acta physica Pol 23 no.6:727-744 Je '63.

1. Polnische Akademie der Wissenschaften, Warszawa.

*B.R.*P/045/62/021/004/010/C13
B112/B101AUTHOR: Rubinowicz, A.

TITLE: Proof of uniqueness for the electromagnetic jump value problem

PERIODICAL: Acta Physica Polonica, v. 21, no. 4, 1962, 415 - 422

TEXT: The author proves the uniqueness of the following electromagnetic jump value problem: (1) A given electromagnetic field \vec{E} , \vec{H} is continuous together with its first derivatives all over the space R_c , with exception of certain regions defined in the following. (2) The jumps

$(\vec{H}_1 - \vec{H}_2) \times \vec{n} = (4\pi/c) \vec{i}_e$, $\vec{n} \times (\vec{E}_1 - \vec{E}_2) = (4\pi/c) \vec{i}_m$ (1.2) are prescribed on the surfaces f. (3) The discontinuities of the surface current densities \vec{i}_e and \vec{i}_m , as given by $(\vec{i}_e|_1 - \vec{i}_e|_2)_N = -i\omega \epsilon_e$, $(\vec{i}_m|_1 - \vec{i}_m|_2)_N = -iv \epsilon_m$, (1.3) occur along the curves K on the surfaces f. The radial components of the field strengths satisfy the conditions $E_p = \epsilon_e/2\rho$, $H_p = \epsilon_m/2\rho$, (1.4) the axial components the conditions E_s and H_s finite, (1.5) and the angular

Card 1/2

P/045/62/021/004/010/013
B112/B101

Proof of uniqueness ...

components the conditions $E_\varphi \approx \text{const}/\rho^\alpha$, $H_\varphi = \text{const}/\rho^{\alpha'}$. (1.6) ($0 < \alpha < 1$,
 $0 < \alpha' < 1$). (4) Sommerfeld's conditions of emission and finiteness are ful-
filled at infinity.

ASSOCIATION: Polnische Akademie der Wissenschaften (Polish Academy of
Sciences) Warsaw

SUBMITTED: August 24, 1961

Card 2/2

RUBINOWICZ , A.

The diffraction wave in the case of an optional incident wave of light.
Acta physica Pol 21 no.1:61-87 '62.

1. Polnische Akademie der Wissenschaften, Warszawa.

P/045/62/021/005/001/009
I069/I269

AUTHOR:

Rubinowicz, A.

TITLE:

On a source-free tensor field, and its tensor potential, when associated with an electromagnetic field

PERIODICAL: Acta physica polonica, v.21, no.5, 1962, 451-468

TEXT:

For incident divergence of convergent spherical waves the diffraction wave is derivable from a source-free vector field \underline{V} . This is uniquely determined by the solution of the wave equation describing the incident wave. The vector potential \underline{W} for the field \underline{V} can be established by a simple geometric method (A. Rubinowicz, Acta phys. Polon., 21, 61 (1962)). For electromagnetic fields \underline{V} and \underline{W} being themselves vector fields, have to be replaced by tensorial

Card 1/3

P/045/62/021/005/001/009
I069/I269

On a source-free tensor field...

fields and potentials. The Helmholtz-Huygens principle in Kirchhoff's electromagnetic theory was formulated by H.A. Lorentz and Lamor (A. Rubinowicz, Die Beugungswelle in der Kirchhoff'schen Theorie der Beugung, Warsaw, 1957, p.238) and also differently by F. Kottler (Ann. Phys. (Leipzig), (4) 71, 457 (1923)). However, both formulations, if applied to the Maxwell equations, are equivalent and both can be expressed in terms of two tensor fields \hat{V}_e and \hat{V}_m (carets denote tensors of the second rank in a three-dimensional space), which determine the electric and magnetic fields. These, in turn, are uniquely determined by a given solution of the Maxwell equations. These vector fields having vanishing divergence are derivable from tensorial potentials thereby providing two separate formulations of the electromagnetic Helmholtz-Huygens principle. These are of importance for Kirchhoff's theory of diffraction when isolated for arbitrary incidence of the light waves. An integral theorem for tensorial fields is applied

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I069/I269

On a source-free tensor field...

analogous to Stoke's theorem for vectorial fields. Utilising the Larmor and Kottler formulations of the Helmholtz-Huygens principle, the tensorial potentials for arbitrary electromagnetic fields is derived geometrically. The author similarly derived the Miyamoto-Wolf vector potentials associated with scalar wave equations.

ASSOCIATION: Polonische Akademie des Wissenschaften (Polish Academy of Science, Warsaw)

SUBMITTED: September 4, 1961

Card 3/3

RUBINOWICZ, A.

Evidence of synonymity for the electromagnetic problem of shifts.
Acta physica Pol 21 no.4:415-422 Ap '62.

1. Polnische Akademie der Wissenschaften, Warszawa.

RUBINOWICZ, A.

Reciprocity theorem and Babinet's Principle in Kirchhoff's theory of diffraction. Acta physica pol 20 no.9:725-735 '61.

1. Polska Akademia Nauk.

P/045/60/019/005/001/005
B011/B059

AUTHOR: Rubinowicz, A.

TITLE: "Rearranged" and Two-parameter Eigenvalue Problems Which Can
Be Solved by the Method of Polynomials

PERIODICAL: Acta Physica Polonica, 1960, Vol. 19, No. 5, pp. 533 - 558
(Poland)

TEXT: This article deals with eigenvalue problems of quantum theory which
can be solved by the Sommerfeld method of polynomials (Refs. 11, 12, 13,
14, and 18). Such problems are defined by second-order differential
equations, and may be assumed to have the following form:

$$\frac{d}{dx} p(x) \frac{df}{dx} - (q(x) - \beta r(x))f = 0.$$

The chief problem discussed by the author is the so-called "rearrangement"
(this term is introduced by the author) of an eigenvalue problem contain-
ing a certain parameter in its coefficients $q(x)$ and $r(x)$. If this para-
meter does not appear in $p(x)$, the original problem can be transformed

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"Rearranged" and Two-parameter Eigenvalue
Problems Which Can Be Solved by the Method
of Polynomials

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B011/B059

into a new eigenvalue problem, with the above parameter appearing only in the new β . The new "rearranged" eigenvalue problem has the same eigenfunctions as the original problem, provided basic range and boundary conditions are the same. If these rearranged eigenvalue problems are linear, new orthogonality relations of the known form may be derived for the eigenfunctions of the original problem. Some eigenvalue problems of the kind considered may be rearranged into several different eigenvalue problems, a fact that is shown for the generalized coordinate Legendre spherical harmonics as an example. In many cases the eigenvalue problem can be rearranged only into a quadratic eigenvalue problem, which is due to the way the parameter is included in the expression $q(x) - \beta r(x)$. These rearranged quadratic eigenvalue problems have the form

$$\frac{d}{dx} p(x) \frac{df}{dx} - (q'(x) - \beta^2 r''(x))f = 0;$$

$q'(x) = q(x) - \beta r(x) + \beta^2 r'(x) + \beta^4 r''(x)$, the unprimed quantities

referring to the original linear eigenvalue problem. A great disadvantage

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"Rearranged" and Two-parameter Eigenvalue
Problems Which Can Be Solved by the Method
of Polynomials

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B011/B059

of quadratic eigenvalue problems is that their orthogonality conditions depend on the eigenvalues of the respective eigenfunctions. Another section of the article treats eigenvalue problems with two or more eigenvalue parameters. The author solves the problem of finding pairs of the two eigenvalue parameters β_1 and β_2 with eigensolutions for which the integrals of one of the two conditions given for normalization and orthogonality are convergent. A linear relation connects β_1 and β_2 , which, in the β_1 -versus- β_2 plane, means a straight line whose intersection with the eigenvalue curves determines a series of discrete values of β_1 and β_2 . In the last section of the paper, the author shows that the parameter m appearing in the factorization method (Refs. 3, 4, 5, 15, 16, and 17) has to be regarded as the "eigenvalue quantum number" of a rearranged linear or quadratic eigenvalue problem. Throughout the work, the eigenvalue problems of the coordinate spherical harmonics and of the radial function of the one-electron atom are taken as specific examples. There are 1 figure and 18 references: 6 US, 5 German, 1 Polish, 3 Dutch, and 3 Irish.

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"Rearranged" and Two-parameter Eigenvalue
Problems Which Can Be Solved by the Method
of Polynomials

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B011/B059



ASSOCIATION: Institute of Physics of the Polish Academy of Sciences,
Institute of Theoretical Physics of Warsaw University

SUBMITTED: February 23, 1960

Card 4/4

81124

P/045/60/019/02/11/013
B006/B011

24.4400

AUTHOR: Rubinowicz, A. (Krynica)TITLE: Boundary Problems in the Field of Linear Scalar Fields in
Isotropic and Homogeneous Spaces as Defined by Elementary
LawsPERIODICAL: Acta Physica Polonica, 1960, Vol. 19, No. 2, pp. 235-243TEXT: In continuation of Ref. 1, the author investigates the linear scalar field, which is defined by the elementary law $\varphi = \varphi(r)$, namely,
$$F(x, y, z) = \sum_{a,b,c=0}^{\infty} A_{abc} \frac{\partial^l \varphi(r)}{\partial x^a \partial y^b \partial z^c}, \quad (l = a+b+c),$$
 where the coefficients A_{abc} can be arbitrary complex figures. For such fields, the author investigates the solvability of boundary problems which are defined by given values for $F, \partial F / \partial N, \partial^2 F / \partial N^2, \dots, \partial^{n-1} F / \partial N^{n-1}$ on the boundary surface of the space, in which the boundary problem is given. It is proven that such a boundary problem can be solved for finite n -values only if the elementary

Card 1/2

Boundary Problems in the Field of Linear
Scalar Fields in Isotropic and Homogeneous
Spaces as Defined by Elementary Laws

81124
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B006/B011

law $\varphi = \varphi(r)$ and hence also the field $F(x,y,z)$ are solutions of a partial differential equation of the form $\sum_{i=0}^n a_i \Delta^i F(x,y,z) = 0$, ($a_n \neq 0$). The results are briefly discussed, and some problems concerning their application to the field theory and the quantization of fields on the basis of an elementary law are discussed. There is 1 non-Soviet reference.

ASSOCIATION: Physikalisches Institut der Universitaet Warschau
(Physics Institute of the Warsaw University).
Physikalisches Institut der Polnischen Akademie der
Wissenschaften (Physics Institute of the Polish Academy
of Sciences)

SUBMITTED: September 9, 1959

Card 2/2

✓

Rubinowicz, A. Ein bisher nicht beachteter Fall, in dem
der Kirchhoff'sche Ansatz zur angenäherten Beschrei-
bung der Beugungerscheinungen versagt. Acta Phys.
Polon. 17 (1958), 13-20. (Russian summary)
This is an essay on some of the limitations on the
Kirchoff approximations in diffraction theory.

A Formerly Unnoticed Case in Which The Kirchoff
Method Fails in the Description of Diffraction
Phenomena.

P/045/60/00/01/002/008
B018/B000

AUTHOR:

Rubinowicz, A.

TITLE:

On an Experimental Method of Distinguishing the Various Types of
Multipole Radiation in the X-Ray Spectrum
I. Generalization of the Reciprocity Theorem for Electromagnetic
Multipole Radiation Sources

PERIODICAL: Acta Physica Polonica, 1960, Vol 19, Nr 1, pp 21 - 39 (Poland)

ABSTRACT: The author generalizes the electromagnetic reciprocity theorem given by H.A. Lorentz (1896) for electric and magnetic multipole radiation of any order. Since the type of multipole radiation can be determined by the Zeeman effect only in the range of optical wavelengths, it is useful to employ wide-angle interferences in the region of X-rays. However, the intensity of these diffraction fringes is so low that its measurement with a reasonable accuracy is possible only with photomultipliers. The present paper is a preparatory work for the solution of the problem. First, the Lorentz integral theorem is written down thus used as a base of the proof of the reciprocity theorem. The considerations are restricted to harmonic-periodic electromagnetic fields only. The electromagnetic field is expanded into series of multipole fields. Then, the

Card 1/2

On an Experimental Method of Distinguishing
the Various Types of Multipole Radiation in
the X-Ray Spectrum.I. Generalization of the
Reciprocity Theorem for Electromagnetic Multipole Radiation Sources

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B018/B000

generalized electromagnetic reciprocity theorem is derived from
the Lorentz integral theorem by integrating over only two
spherical surfaces enclosing the point sources Q_1 and Q_2 .

Furthermore, the author calculates the expansion coefficients
appearing in the reciprocity theorem for electric and magnetic
dipole and electric quadrupole emission. The numerical value of
these coefficients depends on the normalization of the spherical
harmonics occurring in the multipole-field expansion of the
electromagnetic field. The author applies the normalization given
by C.G. Darwin. The theorem described is applicable for the
solution of various physical and engineering problems. There are 13
references.

ASSOCIATION: Physikalisches Institut der Polnischen Akademie der Wissenschaften
(Physics Institute of the Polish Academy of Sciences). Institut für
theoretische Physik der Warschauer Universität (Institute of
Theoretical Physics of Warsaw University)

SUBMITTED: May 15, 1959

Card 2/2



K-5

POLAND/Optics - Physical Optics

Abs Jour : Ref Zhur - Fizika, No 4, 1959, No 6739

Author : Rubinowicz I.

Inst : Polish Academy of Sciences, Warsaw, Poland

Title : An Hitherto Unnoticed Case, in Which the Kirchhoff Integral
Cannot be Used to Describe the Phenomenon of Diffraction

Orig Pub : Acta phys. polon., 1958, 17, No 1, 13-20

Abstract : The author examines the limitations of the applicability of the Kirchhoff diffraction theory, connected with the circumstance that this theory does not take into account the possibility of multiple diffraction. The Kirchhoff theory is not applicable in all cases, when the individual elements of the edge, on which the diffraction takes place, lie in the zone in which the intense diffracted wave from other elements of the edge passes. This takes place in the case of diffraction by a very small or very narrow aperture. It is shown that the Kirchhoff method gives erroneous results also in that case, when the different points of the edge lie either exactly or

Card : 1/2

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P O L

Fields defined by elementary functions
Rudnicki, (1978) Part I, No. 2, 1978

Supposing that a given function is a polynomial
and corresponds to a linear

APPROVED FOR RELEASE: 08/22/2000

CIA-RDP86-00513R001445820004-3"

STACHOWICZ, A.

Diffusion of waves in the electromagnetic field and evidence for
the problem of value of Maxwell equation elements. In Garban.
p. 209

ACTA PHYSICA POLONICA vol. 14, no. 3, 1955

Warszawa, Poland

sc. EASY EUROPEAN ACCESSIONS 1157 vol. 5, no. 10 Oct. 1956

RUBINOWICZ, A

638.566

J 4524. PROPAGATION OF DISCONTINUITIES IN ELECTRO-
MAGNETIC INTENSITIES AND PROOF OF UNIQUENESS FOR
THE INITIAL VALUE PROBLEM FOR MAXWELL'S EQUA-

TIONS. A.Rubinowicz.

Acta phys. Polon., Vol. 14, No. 3, 209-24 (1955). In German.

In an uncharged medium, let $\Delta\mathbf{E}$ and $\Delta\mathbf{H}$ be the discontinuities in the electric and magnetic intensities at a surface S , every point of which moves with velocity v in the direction of the normal to the surface. It is shown that in general there will be conduction currents in S , and that S will act as an energy source or sink. If these currents are zero, S makes no contribution to the energy balance of the field; in this case v is equal to the velocity of light $c/\sqrt{\epsilon\mu}$ and $\Delta\mathbf{E}$ and $\Delta\mathbf{H}$ are tangential to S . The uniqueness theorem is established for prescribed charge and convection current densities. $\Delta\mathbf{E}$ and $\Delta\mathbf{H}$ satisfying suitable conditions over fixed or moving surfaces.

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6529. A simple derivation of the expression for the
Kirchhoff diffraction wave. A. RUANOWICZ. *Acta
phys. Polon.*, 12, No. 3-4, 225-233 (1953) in German.

The expression derived by the author in 1917
[*Ann. Phys. (Leipzig)* 53, 257-78 (Dec. 14, 1917)] for
the field produced by a point source of light and a
screen has found extensive application. The present
paper gives a very simple derivation of it.

P. M. DAVIDSON

Rubinowicz, Wojciech

* Rubinowicz, Wojciech. Wektory i tensorzy. [Vectors
and Tensors]. Monografie Matematyczne. Tom XXII.
Warszawa-Wrocław 1956. viii + 170 pp.
This book is a textbook of classical theoretical mechanics.

"APPROVED FOR RELEASE: 08/22/2000

CIA-RDP86-00513R001445820004-3

Source: Mathematical Rev

Vol 12 No 7

SMY
RBB
LSD

APPROVED FOR RELEASE: 08/22/2000

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Kubinowicz

2

✓ Book—2814. Rubinowics, W., and Kruikowski, W., Theoretical
mechanics [Mechanika teoretyczna]. Warszawa, Państwowe

Instytut Naukowy 1955, 42, no. 41.

This is a generalization of D'Alembert's principle. The book is in the
hands of our sources refers to following subjects: I. Kinetics
of particle (kinetic energy, work, law of conservation of energy, law
of motion, law of Newton, law of universal gravitation, law of
vis viva, law of conservation of angular momentum); II. Kinetics
of rigid bodies (kinetic energy, work, law of conservation of energy,
law of motion, law of Newton, law of universal gravitation, law of
vis viva, law of conservation of angular momentum).

III. Dynamics of continuous media (kinetic energy, work, law of conservation
of energy, Maupertuis' and d'Alembert-Hamilton's equations of
equilibrium and their variational consequences; new interpretation by
Poincaré and Lorentz, examples of Hamilton-Jacobi equations in
relativistic mechanics); IV. Mechanics of fluid bodies (velocity
and acceleration, impact and kinetic energy, tensors of second
degree, equations of motion, equilibrium of forces, Euler's equa-
tions, examples of motion around a point, applications in geomet-
ric mechanics).

Full-page pictures of Newton, d'Alembert, Lagrange, and
Hamilton are inserted. J. J. Polivka, USA

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RUBINOWICZ, Wojciech

Niels Bohr (1885-1962). Postepy fizyki 14 no. 3: 273-
279 '63.

1. Członek rzeczywisty Polskiej Akademii Nauk, Warszawa.

RUBINOWICZ W.

MATRAK-KRAKOW, POLSKIE NAUKI, Vol. 13, No. 1, 1962.

1. "On the Backscattered Wave for an Arbitrary Descending

Wave in Kirchhoff's Diffraction Theory," Wojciech

RUBINOWICZ OF PAN (Polish Akademia Nauk, Polish

Academy of Sciences) pp. 3-13.

2. "On Certain Problems in Photoluminescence of Solutions," Aleksander JABLONSKI of the Chair of Experimental Physics, Natura Fizyczna (Sekcja MATERIAŁÓW) of the AGH (Akademia Górnictwa i Kolejnictwa University (University) at Krakow) pp. 13-25.

3. "Application of Magnetic Resonance Methods in the Investigation of Atom Energy Levels," Tadeusz SKALINSKI of the Physics Institute (Instytut Fizyki) of PAN at Warsaw; pp. 27-39.

4. "On Some Problems of Transition Probabilities in Atoms and the Oscillator Power of Spectral Lines," Maria Anna KURISZ of the Physics Institute (Instytut Fizyki) of the Jagiellonian University (Uniwersytet) at Krakow; pp. 41-51.

RUBINOWICZ, Wojciech

Erwin Schrödinger (Aug. 12, 1886--Apr. 1, 1961). Postepy fizyki 12
no. 4:385-387 '61.

Apr 22

Poland/Nuclear Physics - Gamma radiation
RUBINOWICZ, Wojciech

"Multipole Gamma Radiation and the Determination of Nuclear Spins," Wojciech
Rubinowicz, Inst of Theoretical Physics III, Univ of Warsaw

Postepy Fizyki, Vol 3, No 1, pp 5-23

Emphasizes Polish contributions to sciences; in that author published in 1928, his

(p) hypotheses on origin of forbidden spectral lines, later confirmed in Pasadena and

Amsterdam. In 1934, H. Niewodniczanski discovered dipole magnetic radiation.

Other contributors were Milianczuk in 1935, Jenkins and Mrozowski in 1941, and

Opechowski. Reviews foreign literature on subject.

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24(5)

PHASE I BOOK EXPLOITATION

POL/3267

Rubinowicz, Wojciech

Kwantowa teoria atomu (Quantum Theory of the Atom) Warsaw, Państwowe Wydawnictwo Naukowe [1957] 556 p. 3,100 copies printed.

PURPOSE: This book is intended for students of theoretical physics as well as for scientists studying the quantum theory of the atom.

COVERAGE: This book deals with the quantum theory of the atom. It covers the classical and the modern quantum theories and is based on the latest developments in this field of science. It includes the theoretical principles of the quantum theories as well as supplements for calculating various effects. Exercises are included for each chapter. No personalities are mentioned. No references are given.

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RUBINOWICZ, Wojciech

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RUBINOWICZ, Wojciech

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